

Discrete Time

- 1) Takes the same values for ω_0 values at multiples of 2π .
- 2) Periodic only for $\omega_0 = \frac{2\pi m}{N}$
 $N \rightarrow \# \text{ of signals}$
- 3) $T = \frac{2\pi}{|\omega_0|} \cdot m$

Example

$x[n] = 1 - \sum_{k=3}^{\infty} \delta[n-1-k]$ express this signal in terms of step functions

$u[n] = \sum_{k=0}^{\infty} \delta[n-k]$ is already known.

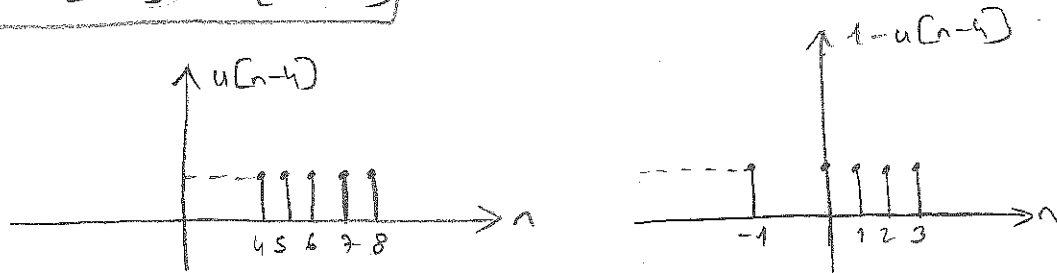
Lets say $k' = k - 3$ then $x[n] = 1 - \sum_{k=0}^{\infty} \delta[n-1-k'-3]$

$x[n] = 1 - \sum_{k=0}^{\infty} \delta[n-4-k']$ Lets say $n-4 = n'$

$x[n] = 1 - \sum_{k=0}^{\infty} \delta[n'-k']$

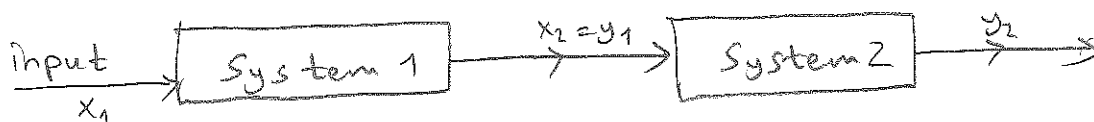
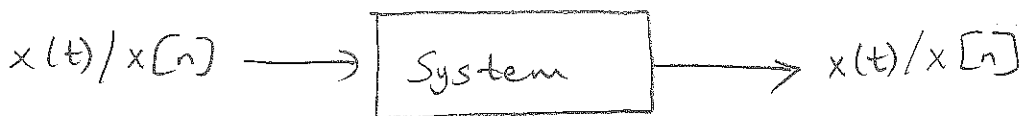
$x[n'+4] = 1 - \sum_{k=0}^{\infty} \delta[n'-k'] = 1 - u[n']$ by substituting the terms back

$$x[n] = 1 - u[n-4] = u[-n+3]$$



CONTINUOUS AND DISCRETE TIME SIGNALS

In a system a continuous time or discrete time is taken as an input and the output is generated in the same format (continuous/discrete)



$$S1: y_1[n] = 2x_1[n] + 4x_1[n-1]$$

$$S2: y_2[n] = x_2[n-1] + \frac{1}{2}x_2[n-3]$$